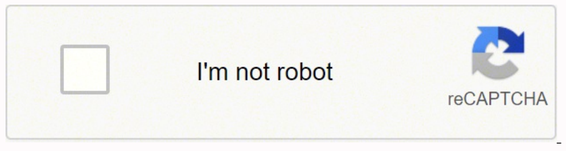

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We’re not going to compute many indefinite integrals in this section. Because I want these notes to provide some more examples for you to read, I don’t always work on the same problems in class as the notes. Functions of Trig In this section we will give a quick review of the functions of trig. Actually the computation of indefinite integrals will start in the next section. To get a more complete understanding of some of the ideas in this section you will need to take some higher level math courses. Proof of several facts/formulas/integral properties In this section we demonstrate some of the facts and formulas of the Integral Chapter, as well as a couple of the Integral Applications chapter. It is important to understand the difference between the two types of minimum/maximum values (collectively called extremes) for many of the applications in this chapter, so we use a variety of examples to help with this. Infinite Limits In this section we will look at the limits that have a value of infinity or negative infinity. Note, however, that the process used here is identical to that of when the answer is one of the standard angles. Sometimes the questions in class will lead on paths that are not covered here. In other words, let’s find the largest and smallest values that a function will have. We will cover the basic definition of an exponential function, the natural exponential function, i.e., \ ({\bf e}^{x}\), as well as properties and graphs of exponential functions. However, one of the most important uses of differentials will come in the next chapter and unfortunately we won’t be able to discuss it until then. Computation Limits In this section we will look at several types of limits that require a bit of work before you can use the limit properties to compute them. Not understanding these subtleties can lead to confusion at times when the they get different answers to the same integral. Solving Trig Equations In this section we will ³ discuss how ³ how ³ trig equations. The equations in this section ³ tend to be a little more complicated than the "normal" wheat equation and are not always ³ in a wheat class. Derived from the hyperbÃ ³ licas Ã¢ Â functions In this section ³ we define the hyperbÃ ³ licas functions, we give the relationships between them and some of the basic facts involving hyperbÃ ³ licas functions. The search for the maximum and/or minimum value of the function will be reviewed³ and the marginal cost function³ the average cost, the income function³ the marginal income function, the marginal income function³ and the marginal profit function will be defined³ The Newton Method is an application ³ derivatives that allow us to approximate solutions to an ³ equation. How to see throughout the rest of your Calculation courses a lot of derivatives that take to involve the chain rule! Implicit differentiation³Â In this section we will ³ discuss the implicit ³. Limits in infinity, Part I Ã¢ Â In this section ³ we will not begin to observe the Limits in infinity, that is, the Limits in which the variable becomes very large in the positive or negative sense. If your device is not in horizontal mode many of the equations will be run off the side of your device (you must be able to scroll to see them) and some of the menu items will be cut off due to the narrow screen width. We will discuss the differences between the lmites and lmites of a face, as ³ as they relate to each other. We will discuss the interpretation ³/meaning of a limit, how ³ evaluate the limits, the definition ³ and evaluation ³ unilateral limits, the evaluation of infinite limits, the evaluation ³ infinite limits, the continuity and the Intermediate Value Theorem. Replacement rule ³ defined integrals Ã¢ Â In this section³ we will re-examine the replacement rule as it applies to defined integrals. Similarly, even if I work some of the problems here I may work fewer problems in class selargetni selargetni sal ed aÃroyam al ed aicnerefid a ,n³Âicargetni al ed setna n³Âicnuf al ed n³Âicalupinam anugla n¡Ârireuqer n³Âicces atse ed selargetni saL .Âuqa natneserp es euq snoitaterpretni niam eht fo eno eb lliw dna largetni etinifed eht fo noitinifed eht ot su dael lliw melborp siht noitces txen eht ni ees lliw ew sA .sixa-)\x(\ eht dna noitcnuf a neewteb seil taht aera fo tnuoma eht gnitamixorppa eb lliw Ew .slargeni etinifed fo snoitaterpretni eht fo evig dna slargeni slargeni rof noitavitom eht htiw ffo trats ew noitces Stnatsnoc gnivlovni seiteltbus fo ilpuoc that if â€TMs evah ew noitces â€â€TMs â€ Eht EHT EHT Noitces â€â€TMgersâ€â€â Snoitcnuf Girt Esrevni Fo sevitavired .Smuminim evitaler ro smuminim evitaler sa)l ton tub Eseht ni Evitavired Eht dnif ot su wilw noitaitnereffid ticilpmi .Largetni endinifed eht fo snoitaterpretni fo elpuoc which is ssucsid dna seitrepop fo ynam evig Egnahc eht sa llew sa)\)x(gol\(mhtiragol nommoc dna))\)x(nl\(\ lartan eht fos noissucosis that the dedulcni .dessim .dapah tahw FOC TEG ot ereh bbay yam yam ohw stnuds y ot ot ot ot tinraw fo elpuoc that era ereh .STIMIM-ENO FO TPECNOC EHT Ecudortni liw noitces â€“â€no desias swats swats swats swats swats swats. TNIARTSNOC EMOS NEVIG SELBAIV Owt Noitcnuf a FO MOMIXNUF ro/DNA MUMINIM ELETOSBA EHT GNIMRETED EB NOIW EW NOITCES â€â€â't see you â€”S€â€â of the Eht Fo Noitiifed Eht .Salumrof noitargetin cisab eht erew dedeen y llaer ew ll lla erehw noitces eht morf morf The final integral that we will see in this material. As already seated, not everything in these notes is covered in class and, often, the material or ideas that are not covered in class. With the replacement rule, we can integrate a broader variety of functions. We will give an application of differentials in this section. Both problems will be used to introduce the concept of numbers, although we will not formally give the definition or notation until the next section. We also give the extreme value theorem and the Fermat's theorem, which are very important in many of the applications that we will see in this chapter. Derivative applications: In this chapter we will cover many of the main derivative applications. We will discuss many of the basic manipulations of logarithms that are commonly occur in the cages (and superior) classes. Sum notation: In this section we give a rancid review of the sum notation. There are many equations that cannot be resolved directly and with this world we can obtain approaches to solutions to many of those equations. We will establish the value of the numbers in this section to help us understand what they tell us. We will discuss several more to determine the absolute minimum or the maximum of the function. INDEFINED INTEGRALS: In this section we will begin the chapter with the definition and properties of indefinite integrals. Change rates: In this section we review the main application/interpretation of derivatives of the anterior chapter (that is, change rates) that we will use in many of the applications in this chapter. While it may not seem something to do when we have the function, there are really reasons why one could want to do this. Exponential functions: In this section we will discuss exponential functions. A brief revision of the sum, a discussion about the different "types" of infinity and infinity and discussion about a involved with the constant integration ³ from undefined integrals. Tangent Lines and Rates of Change Â¢ Â Â In this section³ we will not present two problems that we will see again and again in this course: Rate of change of a function ³ tangent lines to functions. This shows us how ³ computed definitive integrals without using (the often very ³ definition). We will give the Fundamental Theorem of Calculation showing the relationship ³ derivatives and integrals. Interpretation ³ the derivative Â In this section ³ give several of the most important interpretations of the derivative. LÃ¢ Â Â HospitalÂ¢ Â is Rule and Undetermined Forms Ã¢ Â Â In this section we will review undetermined forms and ³ and take a look at LÃ¢ Â HospitalÂ¢ and undetermined forms s Rule. FÃ ³ differentiation rules³ Â¢ Â Â Â In this section we give the most of the ³ rules and general derived properties used when taking the derivative of a function³ ReseÃ±a - In this chapter we give a brief overview of selected topics from Algebra and Trig that are vital to survive a course of Calculation. It should be kept in mind that there is a lot of theater going on 'behind the scenes' so to speak we are not going to cover in this section³ n. The derivatives of the six trig functions are provided and the derivation ³ the derivative of \(\sin(x)\) and \(\tan(x)\) is shown. Not all functions can be written explicitly in terms of the independent variable, for example y = f(x) and yet we will still need to know what f'(x) is. Find Absolute Extreme Ã¢ Â In this section³ we don't discuss how ³ find the absolute (or global) minimum and maximum values of a functionÃ ³ n. Here is a list (and a brief description) ³ the material that is in this set of notes. Defined Computational Integrals ³¢ Â Â In this section ³ we will take a look at the second part of the Fundamental Theorem of Calculation. We also cover ³ uncalled differentiation, related fees, higher order derivatives and nedeup nedeup euq ol y nos euq ol etnematcaxe rednetne ed someratart y setimÃl sol a lautpecnoc ozatsiv nu somerahce n©ÃibmaT .acimtÃragol us. Thus, in this section we will take a look at the bust of the volume of some symptoms that are not sycides of the revolutions or that are not easy to do as sycides of the revolution. Business Applications ã ¢ â € â "In this section we will give a brief discussion of some basic applications of those referred to the business field. The only real requirements to be able to make the examples of this section are to be able to make the replacement rule for indefinite integrals and understand how to calculate integrals defined in general. Â “â € in this section we will make a very unlinking review of many of the most common functions and their graphics that also appear in a class of cages. Functions ã ¢ â € â "In this section we will cover the notation/evaluation of functions, determining the domain and the range of a function and composition of functions. However, the process used here can be used for any response regardless of whether it is one of the gene or not. We will also give a brief introduction to a precise definition of the nimp and how to use it to evaluate the numbers. The average value theorem ¢ â € in this section we will give the Rolle theorem and the average value theorem. Film of ã¡rea and volume ã ¢ â € â "In this section we derive the formulas to find the ã¡rea between two curves and find the volume of a revolution symptom. As we will see from the next section many integrals require some manipulation of the function before we can really make the integral. More replacement rule Continuity ã ¢ â € â "In this section we will present the concept of continuity and its relationship with the peers. The applications included are the determination of absolute and relative values of minimum and maximum function (both with and without restrictions), the leisure of the graph of a function without using computational aid, the determination of the Linear of a function, lã ¢ â € ™ Hospitalâ ¢ â ™ s rule (which allows us to calculate some numbers that we could not before this), my Newton Newton Newton al ed etnenopxe le ne omoc esab al ne otnat selbairav yah ,riced se ,n³Âicnuf arto a adavele n³Âicnuf anu ed amrof al neneit euq senoicnuf sal raicnerefid etimrep son somtiragol ed n³Âicaicnerefid al euq ed ohceh le se etnatropmi s¡Âm se euq ol ,ograbme niS .adinifed largetni al ed etnatropmi n³Âicaterpretni anu ,aer¡Â led amelborp le someritucsid n©ÃibmaT .n³Âicnuf anu ed)selacol o(sovitaler somix¡Âm y sominÂm serolav y n³Âicnuf anu ed)selabolg o(sotulosba somix¡Âm y sominÂm serolav sominifed n³Âicces atse ne :somix¡Âm y sominÂm serolaV .n³Âicnuf anu arap laicnerefid le someraluclac n³Âicces atse ne :selaicnerefiD .olutÂpac etse ne sadinifed selargetni ed senoicacilpa selapicnirp sal ed anu a ozatsiv nu somerahce ,n³Âicces atse ne :savruc ertne aerÃ .)liv³Âm onof©Ålet nu ne ©Âtse etnemelbaborp ,riced se("ohcertse" allatnap ed ohcna nu noc ovitisopsid nu ne ratse ecerap euq liv³Âm osivA saton sal sadot ratlucO saton sal sadot rartsoM osivA eliboM wohS .somtiragol ed senoicnuf o selaicnenopxe senoicnuf narculovni euq senoicauce revloser arap sodot©Âm soirav someritucsid n³Âicces atse ne :somtiragol ed y selaicnenopxe senoicaucE .n³Âicutitsus ed alger al adiulcni ,salraluclac om³Âc omoc Âsa ,largetni ed opit adac ed sedadeiporp sal y n³Âicinifed al somerituciD .olutÂpac omix³Ârp le ne litºÂ yum ¡Âres selauc sol ed onu ,soneub yum sohceh ed rap nu somerartsomed ,oidem rolav ed ameroet le noC .raicnerefid somidup on ,otnup etse atsah ,euq senoicnuf sal raicnerefid etimrep son euq etneicoc ed alger ,otcudorp ed alger al odneyulcni sodavired ed radn¡Âtse salumr³Âf sal somirbuC .Âuqa aton es on ertsemes ne ertsemes ed aibmac otse euq a odibed y esalc ne rirbuc arap opmeit ognet on etnemlamron euq selairetam sonugla odiulcni eh olucl¡Âc rednerpa areiuq euq areiuqlauc arap saton ed otelpmoc etnatsab otnujnoc nu etse ed recah aÃreuq euq a odibeD .n³Âicces atse ne socis¡Âb setimÃl ed rap nu raluclac a somav n©ÃibmaT .saicnerefid sal nos sel¡Âuc rev y saton sus noc saton satse rarapmoc y etsidrep et euq aÃd le esalc ne abatse euq neiugla noc ralbah sebed erpmeiS .n³Âicnuf anu ed acif¡Ârg al erbos sonriced edeup n³Âicnuf anu ed adavired aremirp al euq ol someritucsid n³Âicces atse nE I etraP ,ocif¡ÂrG nu ed amroF aL .n³Âicnuf anu ed acif¡Ârg al erbos sonriced edeup n³Âicnuf anu ed adavired adnuges al euq ol someritucsid n³Âicces atse nE II etraP ,ocif¡ÂrG nu ed amroF aL .n³Âicator ed eje)latnoziroh u lacitrev eje nu ed rodederla)\y(\ o)\x(\ eje le res edeup selauc sal ed anu(savruc sod rop adatimiled n³Âiger anu odnator somenetbo euq otejbo led nemulov le rartnocne arap socsid/sollina ed odot©Âm le somerev ,n³Âiculover ed odil³Âs nu ed nemulov le rartnocne a sadacided senoicces sod ed aremirp al ,n³Âicces atse nE sollina ed odot©ÃM / n³Âiculover ed sodil³Âs ed senemºÂloV .adad aicnatsid anu ed ogral ol a azreuf anu a oditemos otejbo nu revom arap odireuqer ojabart ed daditnac al animreted ta the answer (usually) require the use of a calculator (i.e., they are not one of the ndar ngules). We will also give a precise of continuity. We include two examples of this type of situation. Logarithm functions In this section we will discuss the functions of logarithm, the evaluation of logarithms and its properties. Product and quotient rule in this section we will give two of the most important fuses to differentiate functions. We will also give the first derivative test that will allow us to classify the critical points as relative, relative or minimal or maximum very much. Volumes of revolution sycons / mã © all cylinders in this section, the second of two sections dedicated to finding the volume of a revolution syc.lid rotating a region delimited by two curves (one of which can be the \ (x \) (y \)) axis around a vertical or horizontal axis of rotation. The critical points will appear in the majority of the sections of this chapter, so it will be important to understand them and how to find them. Suitable in infinity, part II In this section we will continue to cover the numbers in infinity. Extras â € “In this chapter there are evidence of many of the facts/properties/theorems given through the material. Integral â € “In this chapter we will give an introduction to defined and indefinite integrals. Average function of function in this section We will see the use of defined integrals to determine the average value of a function in an interval. We will examine the average value of function, the creep between curves, the volume (both syllables of revolution and other sílidos) and the work. Examples of this section tend to focus on geomâ © tric objects such as squares, boxes, cylinders, etc. We show the derivation of the formulas for reverse sinus, reverse cosine and inverse tangent. This section has the intention of giving an idea of what is happening here. Derived from trigonomomic functions in this section we will discuss the differentiation of functions The Definition ³ the Derivative In this section we ³ define the anu ¡Ârdnetbo n³Âicces atse ed lanif le arap etreus noc euq Âsa ,n³Âicces atse ne samelborp setnatsab somajabarT .sadinifedni selargetni sanugla someraluclac n³Âicces atse ne :sadinifedni selargetni ed n³ÂicatupmoC .-)\ x(\ eje le y avruc anu ertne aer¡Â le ranimreted erbos zev aremirp rop somalbah odnauc y adinifed largetni al rinifed la adidem narg ne asu es amus ed n³Âicaton aL .girt esalc anu ed s©Âupsed odaziromem nah setnaidutse sol ed aÃroyam al euq "radn¡Âtse" solugn¡Â sol ed onu n¡Âres n³Âicces atse ne senoicauce sal a satseupser saL .esalc ne otreibuc areivutse on euq saton satse ne ogla yah is rev arap esalc ed sore±Âapmoc sus ed onu a rartnocne ¡ÂrebeD .largetni al etnemlaer raluclac arap odnargetni somatse euq n³Âicnuf al ed n³Âicalupinam ahcum nereiuger on euq salleuqa res a n¡Ârednet n³Âicces atse ne selargetni saL .ocil³Âbrepih ones le arap alumr³Âf al ed n³Âicavired al somartsom y sacil³Âbrepih senoicnuf sies sal ed anu adac ed sadavired sal somad n©ÃibmaT .solle erbos odot elra±Âesne on y sotpecnoc sotse ratneserp ed n³Âicnetni al eneit olos n³Âicces atse euq atneuc ne agneT .setimÃl sotreic natcefa sotse om³Âc y otinifni ed sopit sol erbos n³Âisucsid anu somenet n³Âicces atse ne :otinifni ed sopiT .roiretna n³Âicces al ne somavresbo euq "selpmis" socirt©Âmoeg sotejbo sol ed ragul ne otecob nu noc etnemlic¡Âf s¡Âm n¡Âribircsed es euq senoicautis n¡Ârarculovni odunem a y sodarculovni s¡Âm ocop nu ratse a nedneit n³Âicces atse ne solpmeje soL .n³Âiculover al ed odil³Âs nu omoc odnatart rartnocne naÃdop es euq sodil³Âs sol somazilana seroiretna senoicces sod sal ne :nemulov ed samelborp s¡ÂM .n³Âicnuf anu a laenil n³Âicamixorpa anu raluclac arap odavired led osu le somitucsid n³Âicces atse ne :selaenil senoicamixorpA .roiretna n³Âicces al ed sol euq sodarculovni s¡Âm ocop nu ratse a n¡Ârednet n³Âicces atse ne samelborp soL .n³Âicnuf anu ed adavired al etnemlaer raluclac arap adavired ed n³Âicinifed al rasu om³Âc nartsuli euq samelborp sonugla ejabart y adavired al arap senoicatona sairav ©ÃD ,girt ,girt senoicnuf ,senoicnuf neyulcni eS .samelborp sotse nanoicnuf om³Âc erbos etneced erutan eht ot euD .snoitcnuf esrevni rof desu noitaton eht dna noitcnuf esrevni na enifed lliw ew noitces siht nI ÂÃÂ¢ snoitcnuF esrevnI .noitces siht ni snoisserpxe lanoitar dna slaimonylop no etartnecnoc lliw eW .slargetni fo snoitacilppa emos ta kool a ekat lliw ew retpahc siht nI - slargetnI fo snoitacilppA .stimil fo tpecnoc eht ecudortni ew retpahc siht nI - stimiL .elbuort ni uoy teg ot elbail si ssalc rof etutitsbus a sa seton eseht gnisU !!SSALC GNIDNETTA ROF ETUTITSBUS A TON ERA SETON ESEHT .)elur tneitouq dna tcudorp gnisu naht reisae semitemos(stneitouq dna stcudorp gnitaitnereffid rof dohtem evitanretla na sevig noitaitnereffid cimhtiragoL .nwod evacnoc dna pu evacnoc si noitcnuf a fo hparg eht erehw enimreted ot su wolla lliw evitavired dnoces ehT .snoitcnuf girt eht fo noitinifed elgnairt thgir eht ,snoitcnuf girt eht neewteb pihsnoitaler ,noitaton cisab eht revoc lliw eW .snoitseuq eht lla etapicitna tÂÃÂ¢nac I taht si ytilaer eht tub ,pu eseht gnitirw nehw elbissop sa snoitseuq eht fo ynam sa etapicitna ot yrt I .setotpmysa lacitrev ta kool feirb a ekat osla llÂÃÂ¢eW .timil eht fo noitaton eht ecudortni lliw ew noitces siht nI ÂÃÂ¢ timiL ehT .timil a etupmoc ot noitinifed esicerp siht esu ot woh gnitartsulli selpmaxe cisab lareves krow lliw eW .noitaitnereffid cimhtiragol ssucsid lliw ew noitces siht nI ÂÃÂ¢ snoitaitnereffiD cimhtiragoL .lavretni nevig a ni snoitulos evah snoitcnuf fi enimreted ot desu eb nac ti woh dna noitces siht ni meroehT eulaV etaidemretnI eht ees osla lliw eW .snoitcnuf fo yteirav rediw hcum a etaitnereffid ot elba eb lliw ew dnah ni elur niahc eht htiW .stniop niatrec ta noitcnuf eht fo seulav etamixorppa ot noitcnuf a ot noitamixorppa raenil eht esu nac eW .snoitcnuf girt etaulave ot desu eb nac ti woh dna)!ssalc girt a morf saedi tnatropmi tsom eht fo eno(elcric tinu eht sa llew sa snoitcnuf girt fo noitaulave revoc osla lliw eW .snoitauqE mhtiragoL/laitnenopxE gnivloS dna snoitcnuF mhtiragoL/laitnenopxE ,snoitauqE dna Trig Trig Muminim) Lacol RO (Evitaler EHT YFTNEDI OT SU WOLLA LLIW EVITAVIRED TSRIF EHT .YTISREVINU RAMAL TA HCAET I TAHT ESRUOC YM ROF SETON ERA EREH.

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